Intro to Geometry (G.GMD.1) Unit Three: Circles (IC3)		Name: Date:	Key Period:
Circle Circumference:			
http://lima.osu.edu/assets/lima/	uploads/Departments/Math	ı/GeoGebra/circuı	mference.html
1. Approximately how many diameters fit along the circumference of the circle? A little more than 3			
2. Approximately how many radii would this be? A little more than 6			
3. Record the three circumferences and diameters shown in class in the spaces below.			
Circumference #1:	Circumference #	2:	Circumference #3:
Diameter #1:	Diameter #	2:	Diameter #3:
4. Divide each pair. #1:] #	2:	#3:
5. What do you notice about the results in #4? They are all very close $\rightarrow \pi$ (pi)			
Circle Circumference: Distance AROUND a circle (like perimeter)			
2πr or πd	* If exact answer is desired, don't multiply by $\boldsymbol{\pi}$		
Examples: Determine the circumference and/or find the missing information requested. (E) means exact value.			
a) r = 3 cm	b) d = 8.5 cm	c) r =	± 5√3
2π(3)	π(8.5)	2	$\pi(5\sqrt{3})$
			30 = 2πr 2π 2π
$C = \frac{6\pi \text{ cm}}{}$ (E)	$C = 8.5\pi \text{ cm}$ (E)	C = <u>1</u>	$0\pi\sqrt{3}$ cm (E)
d) C = 36π cm	e) C = 30 in		
$\frac{36\pi}{2\pi} = \frac{2\pi r}{2\pi}$	$\frac{30}{2\pi} = \frac{2\pi r}{2\pi}$		

$$r = \frac{\frac{15}{\pi} in}{(E)}$$

Circle Area:

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 $\pi r(r)$ or πr^2

Sector Area: A figure formed when 2 radii intersect a circle.

Area =
$$\frac{central \angle measure}{360} * \pi r$$

= (% of circle)(area of circle)



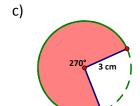
Examples: Determine the area of the circle, sector, or figure using the information given.

a) r = 3 cm Area =
$$\frac{9 \pi \text{ cm}^2}{\text{A} = \pi(3)}$$
 (E)

b)
$$d = \frac{5}{4} \text{ cm}$$
 Area = $\frac{\frac{25}{64} \pi \text{ cm}}{(E)}$

$$r = \frac{\frac{5}{4}}{\frac{2}{1}} = \frac{5}{4} * \frac{1}{2} = \frac{5}{8}$$

$$A = \pi \left(\frac{5}{8}\right)^2 = \pi \left(\frac{25}{64}\right)$$



d)



Area =
$$\frac{central \angle measure}{360_2} * \pi r^2$$
Area =
$$\frac{270}{360} * \pi (3)$$
Area =
$$\frac{3}{4} * \pi (9)$$
Area =
$$\frac{27\pi}{4} \text{ cm}^2 \approx 21.21 \text{ cm}^2$$

Area =
$$\frac{83}{360} * \pi(8)^{2}$$

 $\approx 46.36 \text{ cm}$